

#### **QUID 2017, pp. 1094-1101, Special Issue N°1- ISSN: 1692-343X, Medellín-Colombia**

## **ANALYSIS OF RESONANT BUCK-BOOST CONVERTER WITH THE POSITIVE VOLTAGE**

(Recibido el 2-06-2017. Aprobado el 20-9-2017)

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**Resumen.** En este trabajo se proporciona un convertidor resonante de elevación de buck-boost que un tanque resonante LC realiza la transmisión y el control de potencia mediante un inversor de medio puente. Con la utilización de elementos parasitarios y el método de conmutación de conmutadores, la posibilidad de creación de condiciones ZVS se proporcionan al encender y apagar instancia de conmutadores que estas condiciones serán revisadas mediante la comprobación de los diferentes modos de conversión y expresión de relaciones matemáticas. Las ventajas de este convertidor, podemos notar a la protección inherente del cortocircuito de la salida ya la ganancia positiva del voltaje. Al final, después de revisar este convertidor con el uso del software OrCAD, el convertidor resonante de buck-boost ha simulado y los resultados confirman las condiciones de conmutación suave para los interruptores.

Abstract. In this paper, a resonant buck-boost converter is provided that a LC resonant tank does transmission and power control by a half-bridge inverter. With using parasitic elements and switching method of switches, the possibility of creation of ZVS conditions are provided at turning on and off instance of switches that these conditions will be reviewed by checking of the different modes of converter and expression of mathematical relations. The advantages of this converter, we can note to inherent output short circuit protection and the positive voltage gain. In the end, after reviewing of this converter with using OrCAD software, the resonant buck-boost converter has simulated and the results confirm the conditions of soft switching for the switches.

**Keywords:** Resonator Converter, Soft Switching, Buck-Boost

## **1. INTRODUCTION**

Soft switching converters are increasingly attracted to the designers of switching power supplies. In soft switching converter due to the elimination of capacitive losses of switches, is increased the converter frequency. So by increasing the switching frequency, the reactive elements of circuit such as transformers, inductors and capacitors are reduced that the converter in less size and weight will be resulted (Kazimierczuk & Czarkowski, 2012) that it is very suitable for portable applications. This position will be generally created by switching at zero voltage (ZVS) or zero current switching (ZCS) (Mohan, Tore, Undeland & William, 2001).

Zero voltage switching (ZVS) often depends on isolated gate bipolar transistor structure (IGBT), because with this method the losses of the comet current during the off time can be greatly reduced. As well as to reduce the stress current and conduction losses should prevent the unnecessary energy cycle, that for this purpose we can use the Unidirectional switches like RB-IGBT (Jabbari, Hosein & Ghazanfar, 2010), (Jabbari & Hosein, 2010) or a diode in series with the switch. In this paper to get single-way switch, there is a diode in series with a MOSFET.

Resonant converters are a family of soft switching converters that in these converters, resonant tank provides soft switching conditions. One of the benefits of resonant converters is using parasitic elements that in normally may be the parasitic elements cause to disrupt circuit performance (Batarseh, 1994). In the resonant converter, input power is transmitted to the output through the resonant tank, so in these converters the resonance frequency and switching frequency also have an important role in control of power transmission (Deng, Li, Hu, Mi & Ma, 2014).

In general, resonant converters can be configured into three categories (Steigerwald, 1988):

- 1) Series resonance converters: In these converters are used a series inductor and capacitor and the load is series with the resonant tank too. The converters of this type are known by the names SRC or SLR. Often the soft switching which is used in these types of converters is ZCS and therefore the current waveform of switches is sinusoidal.
- 2) Parallel resonance converters: In these kinds of converters, resonance tank is parallel and the load is parallel with the tank too. Basis

converters of this type are known by the names of the PRC and PLR. Often in these types of converters, the ZVS soft switching are used and therefore voltage waveform across the switches is sinusoidal (lu, Liu, Liang, Lee, & van Wyk, 2006).

3) Series-parallel resonance converters: In these converters the complex resonance circuits is used. The simplest case is being both series and parallel tanks. Analysis of these converters is often very difficult. In naming of theses converters, the number of inductors and capacitors generally are referred for example we can note to resonant LLC or LCC converters (Choi, 2007).

In this paper, a Gm buck-boost converter is provided which is similar to SCR converter and includes Passive elements, a high frequency resonant tank, half-bridge converter, output onesided switches and capacitor filter. Switches of half-bridge converter provide on and off ZVS conditions in switching times without depending on the load current and operational voltage; Output diode operates under ZVS operation too and the converter in output short circuit will be automatically stopped.

## **2. PROPOSED BUCK-BOOST CONVERTER**

Figure 1 shows the proposed converter topology. In this converter, three MOSFET is used that  $Q_1$ and  $Q_2$  are half-bridge branch MOSFETs and  $Q_2$  and  $Q_3$  are turned off and on simultaneously. Diode in series with the MOSFET  $Q_3$  is used for doing one-way switch  $Q_3$ . To evaluate the performance of the converter, different modes of circuit and mathematical relationships have described.



*Figure 1*. *Proposed resonant buck-boost converter*

## **2.1 Performance of proposed converter**

To simplify the analysis, we assume that the converter is in steady-state and all circuit elements are ideal. The output capacitor has suggested too large to remain the output voltage constant at a switching period.

$$
\omega_r = \frac{1}{\sqrt{L_r \cdot C_r}}
$$
  
(1)  

$$
f_r = \frac{1}{T} = \frac{\omega_r}{2\pi}
$$
  
(2)

$$
f_r = \frac{1}{T} = \frac{\omega_r}{2\pi}
$$
\n(2)

$$
r = \frac{R}{Z_r}
$$

$$
A = \frac{V_o}{V_s} \tag{4}
$$

$$
Z_r = \sqrt{\frac{L_r}{C_r}}
$$

$$
(5)
$$

(3)

Suppose that before the first case, the voltage resonance  $(V_r)$ , is  $-V_0$  and the resonance current ( $i_r$ ), is zero and turned off  $Q_1$  and  $Q_2$ and  $Q_3$ .

The converter operation can be checked in seven states under review.

#### **Mode**  $1(t_1 - t_2)$ :

In the beginning of this mode (the moments between  $t_6'$  to  $t_0$ ) the parallel-reverse diode of switch  $Q_1$  conducts. So if in this interval from the moment of  $t_6'$  to  $t_0$ , has been commanded to  $Q_1$  to be turning on, this switch is turned on under ZVS. At the moment of  $t_0$ , the current through of  $Q_1$  will be positive and the switch starts to conduct and the capacitor *C<sup>r</sup>* resonances with inductor Lr. At the end of this mode, before the  $i_r$  being zero, the  $Q_1$  is turned off. The capacitor  $C_1$ , almost keeps constant the voltage of switch  $Q_1$  during its turning-off and therefore,  $Q_1$  is turned off under ZVS. Figure 2 shows the equivalency circuit of this mode.



*Figure 2. Equivalent circuit mode 1*

The initial conditions and circuit relations of this mode are as follows:

$$
\begin{cases} i_r(t_0) = 0\\ v_r(t_0) = -V_7 \times V_s \end{cases}
$$
 (6)

$$
I(t) = (1 + V7) . sin( $\omega_r$ (t - t<sub>0</sub>))
$$
\n(7)

$$
\Rightarrow V_1 = V(t_1) = 1 - (1 + V_7)\cos(\omega_r(t_1 - t_0))
$$
\n(8)

(6)  
\n
$$
sin(\omega_r(t - t_0))
$$
\n(7)  
\n
$$
cos(\omega_r(t_1 - t_0))
$$
\n(8)  
\nT<sub>1</sub> = t<sub>1</sub> - t<sub>0</sub> =  $\frac{\varphi_1}{\omega_r}$   
\n(9)

**Mode 2(** $t_1 - t_2$ ):

This mode that is started at the moment  $t_1$ , has a resonance current that is greater than zero. The remaining current after the second  $t_1$ , continues to flow through the  $C_1$  and  $C_2$ , and the voltage  $V_M$  is slowly decreased to zero from  $V_S$ . Figure 3 shows the equivalent circuit of this mode.



*Figure 3. Equivalent circuit mode 2*

The initial conditions and circuit relations of this mode are as follows:

$$
\begin{cases}\nI_1 = (1 + V_7) \sin \varphi_1\n\end{cases}
$$
\n
$$
\begin{cases}\nI_1 = 1 - (1 + V_7) \cos \varphi_1\n\end{cases}
$$
\n
$$
I_r(t) = \frac{(1 + V_7) \cos \varphi_1}{\sqrt{1 + \alpha}} \sin(\sqrt{1 + \alpha} \cdot \omega_r(t - t_1)) + (1 + V_7) \sin \varphi_1 \cos(\sqrt{1 + \alpha} \cdot \omega_r(t - t_1))
$$
\n(11)

$$
I_{\epsilon}(t) = \frac{(1 + V_{\gamma})\cos\varphi_{1}}{\sqrt{1 + \alpha}}\sin(\sqrt{1 + \alpha}.\omega_{\epsilon}(t - t_{1})) + (1 + V_{\gamma})\sin\varphi_{1}\cos(\sqrt{1 + \alpha}.\omega_{\epsilon}(t - t_{1}))
$$
\n(11)

$$
\begin{cases}\nI_{1} = (1 + V_{7}) \sin \phi_{1} & \int_{1}^{1} = \frac{(1 + V_{7}) \cos \phi_{1}}{\sqrt{1 + \alpha}} \\
V_{1} = 1 - (1 + V_{7}) \cos \phi_{1} & (10)\n\end{cases}
$$
\n1, (0) =  $\frac{(1 + V_{7}) \cos \phi_{1} \sin(\sqrt{1 + \alpha} \omega_{1}(t - t_{1})) + (1 + V_{7}) \sin \phi_{1} \cos(\sqrt{1 + \alpha} \omega_{1}(t - t_{1}))}{\sqrt{1 + \alpha}} \qquad I(t) = I_{2}$ \n(11)\n  
\n
$$
V_{1}(t) = \left(-\frac{(1 + V_{7}) \cos \phi_{1}}{1 + \alpha}\right) \cos(\omega_{\alpha}(t - t_{1})) + \left(\frac{(1 + V_{7}) \sin \phi_{1}}{\sqrt{1 + \alpha}}\right) \sin(\omega_{\alpha}(t - t_{1})) + \left(\frac{(1 + V_{7}) \cos \phi_{1}}{\sqrt{1 + \alpha}}\right) \sin(\omega_{1}(t - t_{1})) + \left(\frac{(1 + V_{7}) \cos \phi_{1}}{\sqrt{1 + \alpha}}\right) \sin(\omega_{1}(t - t_{1})) + \left(\frac{(1 + V_{7}) \cos \phi_{1}}{\sqrt{1 + \alpha}}\right)
$$
\n(12)\n  
\n
$$
\Rightarrow T_{3} = t_{3} - t_{4} = \frac{1}{\omega_{1}} \cos^{-1} \left(\frac{(1 - V_{1})(\frac{(1 + 2\alpha)V_{1} - \alpha}{\alpha(1 + \alpha)}\right) - 1}{\frac{(1 - V_{1})^{2}}{1 + \alpha} - \frac{(1 + 2\alpha)V_{1} - \alpha}{\alpha^{2}(1 + \alpha)} + 1} \right)
$$
\n(13)\n  
\n**Mode 3( t\_{2} - t\_{3})**:\n  
\nWhen the voltage of M point get to zero, at the  
\nnumber t\_{2}, the parallel-reverse diode of switch  
\n
$$
\Rightarrow T_{2} = \frac{1}{2} \cos^{-1} \left(\frac{1}{2} - \frac{1}{2} \cos \theta_{1} + \frac{1}{
$$

$$
\Rightarrow T_2 = t_2 - t_1 = \frac{1}{\omega_\alpha} \cos^{-1} \left( \frac{(1 - V_1)\left(\frac{(1 + 2\alpha)V_1 - \alpha}{\alpha(1 + \alpha)}\right) - I_1 \sqrt{\frac{(1 - V_1)^2}{1 + \alpha} - \frac{(1 + 2\alpha)V_1 - \alpha}{\alpha^2(1 + \alpha)} + I_1^2}}{1 + \alpha} \right)
$$
(5)

**Mode 3( t2 – t3 ):**

1<sub>1</sub> = (1 + V<sub>7</sub>) sin φ<sub>1</sub><br>
V<sub>1</sub> = 1 - (1 + V<sub>7</sub>) cos φ<sub>1</sub><br>
(10)<br>
(10)<br>
(10)<br>
(11)<br>
(11)<br>
(11)<br>
(11)<br>
(12)<br>
(12)<br>
(12)<br>
(12)<br>
(12)<br>
(12)<br>
(12)<br>
(13)<br>
(57 - 4) → T<sub>1</sub> = t<sub>1</sub> - (-<br>
(13)<br>
(13)<br>
(4 v<sub>1</sub>(i-v<sub>1</sub>) - v<sub>1</sub> -(i+ (10)<br>  $(10)$ <br>  $(11)$ <br>  $\left(\frac{(1+\mathrm{V}_{\tau})\sin\varphi_1}{\sqrt{1+\alpha}}\right)\sin(\omega_a(t-t_i))$ <br>  $\left(\frac{(1+\mathrm{V}_{\tau})\sin\varphi_1}{\sqrt{1+\alpha}}\right)\sin(\omega_a(t-t_i))$ <br>  $\cos\varphi_1$ <br>  $(12)$ <br>  $\left.\frac{\cos\varphi_1}{\sqrt{1+\alpha}}\right.\frac{(1-\mathrm{V}_i)^2 - \frac{(1+2\alpha)\mathrm{V}_i-\alpha}{\alpha^2(1+\alpha)} + \mathrm{I}_i^2}{\frac{(1-\mathrm{V}_i)^2}{1+\alpha} + \mathrm{$  $\left\{\n\begin{aligned}\n1, &= (1 + \nabla_x) \sin \phi, \\
\left\{\nabla_t - 1 - (1 + \nabla_x) \cos \phi, \\
\left\{\nabla_t - 1 - (1 + \nabla_x) \cos \phi, \\
\frac{\nabla_t \phi}{\n\partial t} - 1 - (\nabla_t \phi) \cos \phi, \\
\frac{\nabla_t \phi}{\n\partial t} - 1 - (\nabla_t \phi) \cos \phi, \\
\frac{\nabla_t \phi}{\n\partial t} - 1 - (\nabla_t \phi) \cos \phi, \\
\frac{\nabla_t \phi}{\n\partial t} - 1 - (\nabla_t \phi) \cos$ When the voltage of M point get to zero, at the moment  $t_2$ , the parallel-reverse diode of switch Q2, is placed forward biased and the inductor current of  $L_r$  after passes through the parallelreverse diode, continues to charge the capacitor  $C_r$ , so at the end of this mode, the capacitor  $C_r$ will have maximum voltage. In this mode switch Q<sup>2</sup> must be turned on so that it has been turned on under ZVS. Although in this mode any current does not pass of switch  $Q_2$ . The current of  $i_r$  will be zero at the moment  $t_3$  and direction of current in the next mode will be reversed and will pass of switch  $Q_2$ . Figure 4 shows the equivalent circuit of this mode.



The initial conditions and circuit relations of this mode are as follows:

$$
\begin{cases}\nI_{1} = (1 + V_{7}) \sin \phi_{1} & \n\begin{cases}\nI_{2} = \frac{(1 + V_{1}) \cos \phi_{1}}{\sqrt{1 + \alpha}} \sin(\sqrt{1 + \alpha} \phi_{2}) + (1 + V_{7}) \sin \phi_{1} \cos(\sqrt{1 + \alpha} \phi_{2}) \\
V_{3} = \frac{(1 + \alpha)V_{1}}{\alpha} & V_{2} = \frac{(1 + \alpha)V_{1}}{\alpha}\n\end{cases}
$$
\n(14)\n
$$
V_{4}(0) = \frac{(1 + V_{1}) \cos \phi_{1}}{\sqrt{1 + \alpha}} \sin(\sqrt{1 + \alpha} \phi_{2})(1 + \alpha + V_{2}) \sin \phi_{1} \cos(\sqrt{1 + \alpha} \phi_{1} + V_{1})\n\end{cases}
$$
\n(15)\n
$$
V_{5}(0) = \left(-\frac{(1 + V_{1}) \cos \phi_{2}}{1 + \alpha}\right) \cos(\omega_{4} (1 - t_{1})) + \left(\frac{(1 + V_{2}) \sin \phi_{1}}{\sqrt{1 + \alpha}}\right) \sin(\omega_{4} (t - t_{1}))\n\end{cases}
$$
\n(16)\n
$$
V_{6}(1) = I_{2} \cos(\omega_{1} (1 - t_{2})) - V_{2} \sin(\omega_{2} (t - t_{2}))\n\begin{cases}\nI_{1} = (1 + V_{1}) \cos \phi_{1} & (1 + V_{2}) \sin \phi_{1} \cos(\sqrt{1 + \alpha} \phi_{1}) \\
\frac{(1 + V_{2}) \cos \phi_{2}}{1 + \alpha}\right) + V_{1} - (1 + V_{2}) \cos \phi_{1} & (12)\n\end{cases}
$$
\n(17)\n
$$
\Rightarrow T_{3} = t_{3} - t_{2} = \frac{1}{\omega_{3}} \tan^{-1} \frac{1}{V_{2}}
$$
\n(18)\n
$$
\Rightarrow T_{4} = t_{4} - t_{3} = \frac{1}{\omega_{4}} \tan^{-1} \frac{1}{V_{3}}
$$
\n(19)\n
$$
\Rightarrow T_{5} = t_{5} - t_{6} = \frac{1}{\omega_{5}} \tan^{-1} \frac{1}{V_{2}}
$$
\n(13)\n(18)\n\n
$$
\Rightarrow T_{6} = t_{1} - t_{2} = \frac{1}{\omega_{6}} \tan^{-1} \frac{1}{V
$$

$$
I(t) = I_2 \cos(\omega_r(t - t_2)) - V_2 \sin(\omega_r(t - t_2))
$$
\n(15)

$$
V(t) = \frac{v_r(t)}{V_s} = I_2 \sin(\omega_r(t - t_2)) + V_2 \cos(\omega_r(t - t_2))
$$
\n(17)

$$
(57-4) \implies T_3 = t_3 - t_2 = \frac{1}{\omega_r} \tan^{-1} \frac{I_2}{V_2}
$$
\n(18)

#### **Mode 4( t<sup>3</sup> – t<sup>4</sup> ):**

(1)  $V_1$ ) Sintp<sub>(1</sub>).<br>
(1)  $V_2$ ) Sintp(1) (1)  $V_3$  Sintp(1) (1)  $V_4$ ) Sintp(1) (1)  $V_5$  Sintp(1) (14)<br>
(4)  $V_5$  Sintp(1) (1)  $V_6$  Sintp(1) (1)  $V_7$ ) Cos θ<sub>1</sub><br>
(14)  $V_8$ <sup>(5/3</sup> and 4) - (3) + (3) + (3) + (3) + (3 At the moment  $t_3$  the switch  $Q_2$  is turned on under ZVS. The voltage polarity of  $C_r$  through of resonance with L<sup>r</sup> will start to reverse until the amount of  $V_r$  get to  $-V_0$  at the moment  $t_4$ . So we can say that the stored energy of  $C_r$  and  $L_r$  are transmitted to the output at the moment t4. Although in this mode the switch  $Q_3$  is turned on simultaneously with  $Q_2$ , but because of the diode D<sup>r</sup> is reverse biased, does not pass any current of that branch. Duration of this mode are defined

 $\phi_d$  Figure 5 shows the equivalent circle r a bhfuil an t- $\frac{\overline{v_d}}{\omega_r}$ . Figure 5 shows the equivalent circuit of this

mode.



*Figure 5. Equivalent circuit mode 4*

The initial conditions and circuit relations of this mode are as follows: Figure 5. Equivalent circuit mode of<br>The initial conditions and circuit relation<br>mode are as follows:<br> $\begin{cases} I_3 = 0 \\ V_3 = \gamma \end{cases}$ 

$$
\begin{cases} I_3 = 0 \\ V_3 = \gamma \end{cases}
$$

$$
V(t) = V_3 \cos(\omega_r (t - t_3))
$$
\n(19)

$$
I(t) = -V_3 \sin(\omega_r (t - t_3))
$$
\n(20)

$$
T_4=\frac{\phi_d}{\omega_r}
$$

$$
(21)
$$

(18)

**Mode 5( t<sup>4</sup> – t<sup>5</sup> ):**

When the voltage of resonant capacitor (according to the polarity shown on the fig), is -  $V_0$  at the moment  $t_4$ , the diode  $D_r$  is placed forward biased, and because the switch  $Q_3$  was already on in before mode, power transmission to the load is occurred. So,  $V_{Lr}$  and  $V_r$  in the amounts of  $V_0$  and  $-V_0$ , have respectively clamped and stored magnetic energy of L<sup>r</sup> is transferred to output. The current of i<sup>r</sup> has decreased in linear form, but it will not be zero until the end of this mode. The switch  $Q_2$  will be off at the end of this mode and because the capacitor  $C_2$ , fix the voltage across of switch  $Q_2$ during its turning on, the switch  $Q_2$  is turned off under ZVS. The duration of this mode is defined ransferred to output. The c<br>decreased in linear form, but it<br>until the end of this mode. The<br>off at the end of this mode<br>capacitor C<sub>2</sub>, fix the voltage ac<br>during its turning on, the switc<br>under ZVS. The duration of thi<br> $\varphi_3/\varphi$ . Figure 6 shows the equivalent circuit of this mode.



*Figure 6. Equivalent circuit mode 5*

The initial conditions and circuit relations of this mode are as follows:

$$
\begin{cases}\nI_4 = -V_3 \sqrt{1 - \frac{A^2}{V_3^2}} \\
V_4 = -A\n\end{cases}
$$
\n(22) Mod

$$
I(t) = I4 + A\omegar (t - t4)
$$
\n(23)

$$
V(t) = V_3 \cos(\omega_r(t - t_3))
$$
\n(18) 
$$
T_5 = \frac{\varphi_2 - \varphi_d}{\omega_r} = \frac{\varphi_3}{\omega_r}
$$
\n(24)  
\n
$$
V_{L_r}(t) = V_0
$$
\n(19) 
$$
V_{L_r}(t) = -V_0
$$
\n(25)  
\n
$$
I(t) = -V_3 \sin(\omega_r(t - t_3))
$$
\n(20) **Mode 6( t<sub>s</sub> - t<sub>6</sub> ):**  
\nAt the moment <sup>t<sub>5</sub></sup>, the switches Q2 and Q3 are turned off and the remaining current of ir, will flow to C1 and C2. Figure 7 shows the equivalent circuit of this mode.

**Mode 6( t<sup>5</sup> – t<sup>6</sup> ):**

At the moment  $t_5$ , the switches Q2 and Q3 are turned off and the remaining current of ir, will flow to C1 and C2. Figure 7 shows the equivalent circuit of this mode.



The initial conditions and circuit relations of this mode are as follows:

$$
\begin{cases}\nI_5 = I_4 + A\varphi_3 \\
V_5 = -A\n\end{cases}
$$
\n(26)

$$
\Rightarrow I(t) = \frac{A}{\sqrt{1+\alpha}} \sin(\sqrt{1+\alpha} \cdot \omega_t (t - t_s)) + I_s \cos(\sqrt{1+\alpha} \cdot \omega_t (t - t_s))
$$
\n(27)

$$
\Rightarrow T_6 = \frac{1}{\omega_\alpha} \cos^{-1} \left( \frac{\alpha A (\alpha A + \alpha + 1) - \alpha (1 + \alpha) I_5 \sqrt{\alpha^2 I_5^2 - (2\alpha A + \alpha + 1)}}{(\alpha A)^2 + \alpha^2 (1 + \alpha) I_5^2} \right)
$$
\n(28)

$$
V_{C_r}(t) = \frac{A}{1+\alpha}(1-\cos(\omega_{\alpha}(t-t_s)) + \frac{I_s}{\sqrt{1+\alpha}}\sin(\omega_{\alpha}(t-t_s)) - A
$$
\n(29)  
\n**Mode 7( t6 - t7):**  
\nAt the moment  $t = t_6$  the M point voltage  
\nreaches to Vs and the parallel-reverse diode of

**Mode 7( t<sup>6</sup> – t<sup>7</sup> ):**

At the moment  $1 - t_6$  the M point the M point voltage reaches to Vs and the parallel-reverse diode of switch Q1 is forward biased and the resonant



$$
\left\{\n\begin{aligned}\nI_{6} &= \frac{A}{\sqrt{1+\alpha}} \sin(\varphi_{6}) + I_{5} \cos(\varphi_{6}) \\
V_{6} &= \frac{A}{1+\alpha} (1 - \cos(\varphi_{6})) + \frac{I_{5}}{\sqrt{1+\alpha}} \sin(\varphi_{6}) - A \\
(30) & \text{In } \\
I_{r}(t) &= -(1+V_{6}) \sin(\omega_{r}(t-t_{6})) + I_{6} \cos(\omega_{r}(t-t_{6})) \\
& \text{(31)} & \text{R} \\
V_{c}(t) &= (1+V_{6}) \cos(\omega_{r}(t-t_{6})) + I_{6} \sin(\omega_{r}(t-t_{6})) - 1 \\
& \text{(32)} & \text{(32)} \\
\Rightarrow T_{7} &= (t_{7} - t_{6}) = \frac{1}{\omega_{r}} \tan^{-1} \left(\frac{I_{6}}{1+V_{6}}\right)\n\end{aligned}\n\right\}
$$

$$
I_r(t) = -(1 + V_6) \cdot \sin(\omega_r(t - t_6)) + I_6 \cos(\omega_r(t - t_6))
$$
\n(31)

$$
V_c(t) = (1 + V_6) \cdot \cos(\omega_r(t - t_6)) + I_6 \sin(\omega_r(t - t_6)) - 1
$$

$$
(32)
$$





*Figure 9. Buck-boost Gm resonant converter steadystate Waveforms*

# **3. THE PROPOSED CONVERTER SIMULATION**



*Figure 10. Schematic of the proposed resonant converter in the OrCAD software*

current is reduced Sinusoidal, until at the moment $t_7$ , the resonance current will be zero.	3. THE PROPOSED CONVERTER <b>SIMULATION</b>	
So if the switch $Q_1$ has been turned on during this mode, the switch has turned on under ZVS. Figure 8 shows the equivalent circuit of this	Figure 10 shows the schematic simulation of the proposed resonant converter in the OrCAD	
mode. $O_1$ $\overline{d_1}$ $C_1$	software. In this application due to considering the elements with real models the results will be very similar to practical results. The following	
JD, $Q_{\rm s}$	tables (1) and (2), respectively express the considering specifications for designing and the elements used in simulation.	
Figure 8. Equivalent circuit mode 7		
The initial conditions and circuit relations of this mode are as follows:	$V_2 = 16$ TD - 0 TR - 21n IF - 20n PN - 10u PDR - 10u $w \equiv$ ≸‱	
	$\begin{picture}(180,170) \put(0,0){\line(1,0){155}} \put(10,0){\line(1,0){155}} \put(10,0){\line(1,0){155}} \put(10,0){\line(1,0){155}} \put(10,0){\line(1,0){155}} \put(10,0){\line(1,0){155}} \put(10,0){\line(1,0){155}} \put(10,0){\line(1,0){155}} \put(10,0){\line(1,0){155}} \put(10,0){\line(1,0){155}} \put(10,0){\line(1,0){155$ $\begin{picture}(180,10) \put(0,0){\line(1,0){10}} \put(0$ Figure 10. Schematic of the proposed resonant	
$I_6 = \frac{A}{\sqrt{1+\alpha}} sin(\varphi_6) + I_5 cos(\varphi_6)$ $V_6 = \frac{A}{1+\alpha} (1-cos(\varphi_6)) + \frac{I_5}{\sqrt{1+\alpha}} sin(\varphi_6) - A$	converter in the OrCAD software	
(30)	Wanting specification Amounts	
	80 V Input voltage $V_s$ Output voltage $V_0$ $100\;\mathrm{V}$	
$I_r(t) = -(1 + V_6) \cdot \sin(\omega_r(t - t_6)) + I_6 \cos(\omega_r(t - t_6))$ (31)	<b>100 KHz</b> Switching frequenc $f_s$ Resonant frequency $f_r$ <b>100 KHz</b>	
	Output power $P_0$ 40 W Table 1. Designing specifications.	
$V_c(t) = (1 + V_6) \cdot \cos(\omega_r(t - t_6)) + I_6 \sin(\omega_r(t - t_6)) - 1$		
(32)	Designing elements Amounts	
$\Rightarrow$ T <sub>7</sub> = (t <sub>7</sub> - t <sub>6</sub> ) = $\frac{1}{\omega_{\rm r}}$ tan <sup>-1</sup> $\left(\frac{I_6}{1+V_6}\right)$	<b>IRFP460</b> Mosfet Diode <b>MUR860</b> 15 Nf Resonant capacitor	
(33)	$\overline{170}$ Uf Resonant inductor 1 uF Output filter capacitor Table 2. Designing elements	
$V_M$		
$\frac{1}{2}$ $\begin{array}{c}\n-\phi_2/\omega_t \longrightarrow \\ \hline\n\phi_d/\omega_t \longrightarrow\n\end{array}$		

*Table 1. Designing specifications.*

التكليبا	Designing elements	Amounts
	Mosfet	<b>IRFP460</b>
$(t_7 - t_6) = \frac{1}{\omega_r} \tan^{-1}$	Diode	<b>MUR860</b>
	Resonant capacitor	$.5 \text{ Nf}$
(33)	Resonant inductor	70 Uf
	Output filter capacitor	uF

*Table 2. Designing elements*

## **3.1 Results of simulation**



 *A. Voltage stress and current of switch Q<sup>1</sup>* 





 *C. Voltage stress and current of switch Q<sup>3</sup>*



*Figure 11. Waveforms of simulation*

As you can see in Figures, the switches of halfbridge converter branch, and the output diode and switch have ZVS condition in turning off and on.

### **4. CONCLUSION**

In this paper, a resonant buck-boost converter with the positive voltage has expressed which using a resonant LC tank, a soft switching conditions has been created. All switches are under ZVS at the moment of turning on and off that it has been caused that the switching frequency of converter has been greatly increased. Another advantage of this converter is inherent short-circuit protection. Finally, with simulation of this converter in OrCAD software, the expressed relations have been confirmed.

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